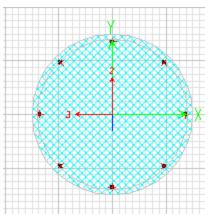
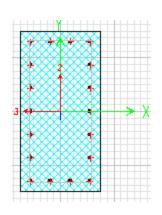
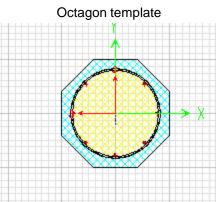
SAP2000 for Standalone Concrete Column and Beam Design



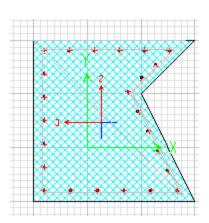
If you own any current version of SAP2000, you already have all the capabilities described in this document. If you don't want to tie up an expensive advanced of SAP2000 doing standalone column and beam design, you can purchase a basic level of SAP2000 for just \$2,000 (not including multiple copy discount) with just \$350/yr annual maintenance and support. In addition to rectangular and circular concrete columns, SAP2000 section designer (SD) can handle irregular shape columns, composite columns and offers special options for concrete octagon and hexagon sections. Right-click to modify dimensions and/or reinforcement within SD. Latest ACI 318 design code with older ACI codes available, and 11 international concrete design codes included.

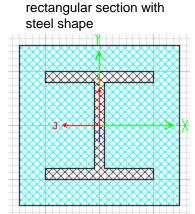




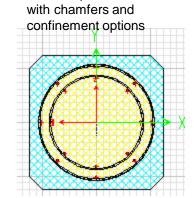


Tapered nonprismatic column with reinforcement designed at each station along the length

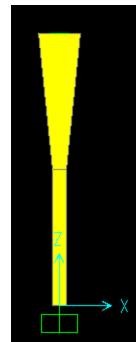




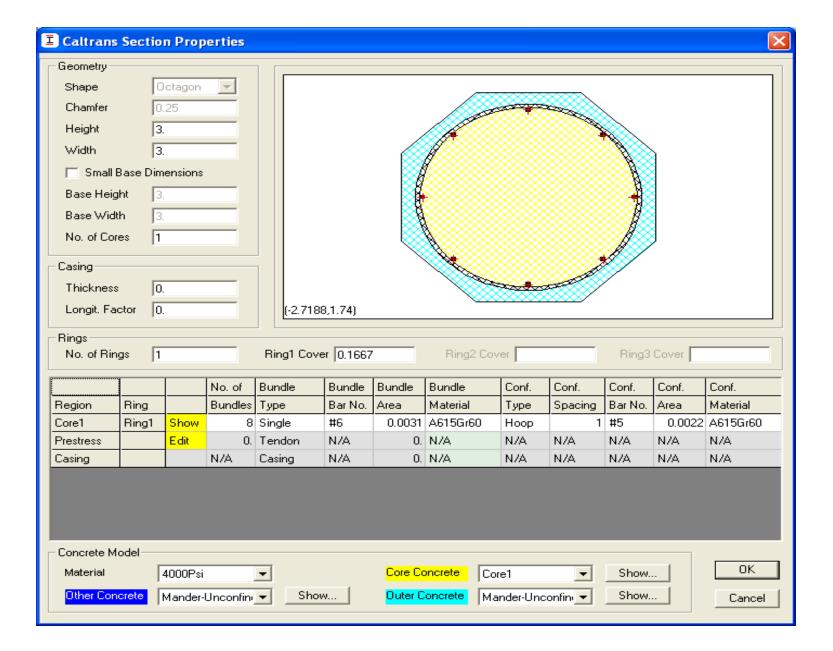
Composite concrete



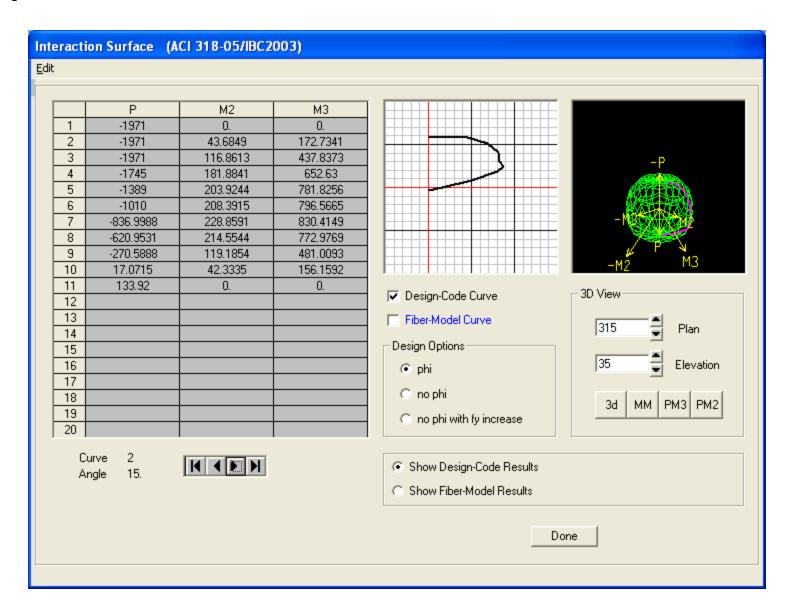
Define square sections



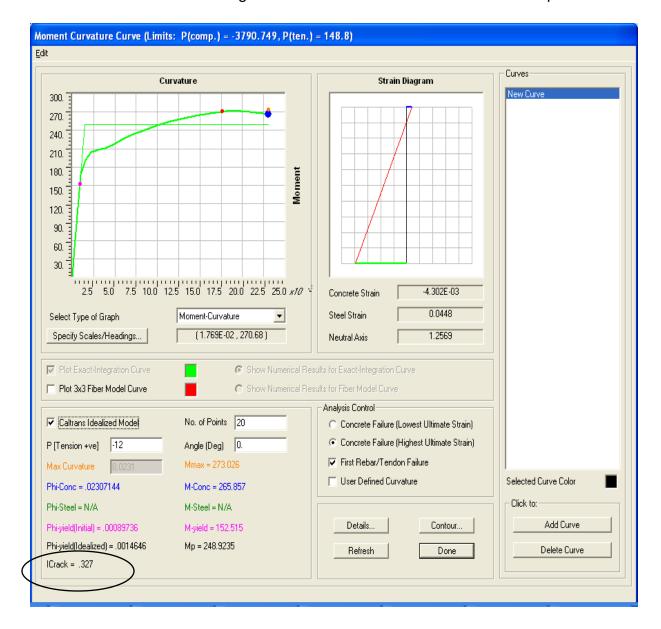
Although originally developed for Caltrans, the octagon and hexagon SD design shapes have widespread applicability to a number of industries



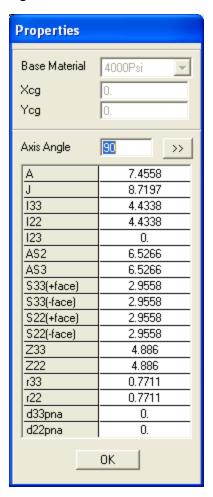
Each concrete section automatically generates a code specific P-M-M interaction surface within the SD which can be used for design. You can define a section and obtain a P-M-M interaction surface like this in less than a minute with SAP2000 SD.



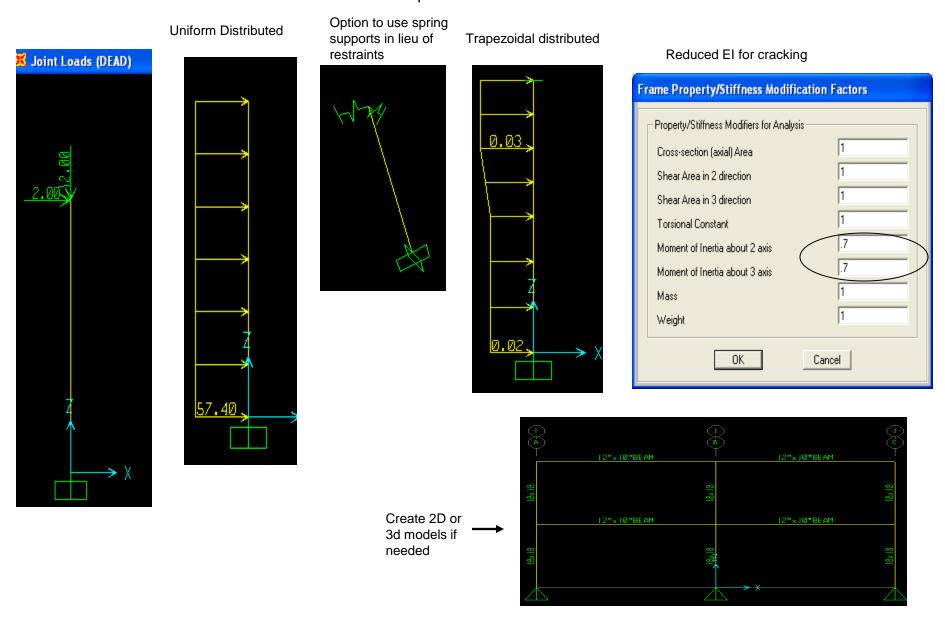
Moment curvature analysis in SD is a method to accurately determine the load-deformation behavior of a concrete section using nonlinear material stress-strain relationships.



Properties automatically generated within SD

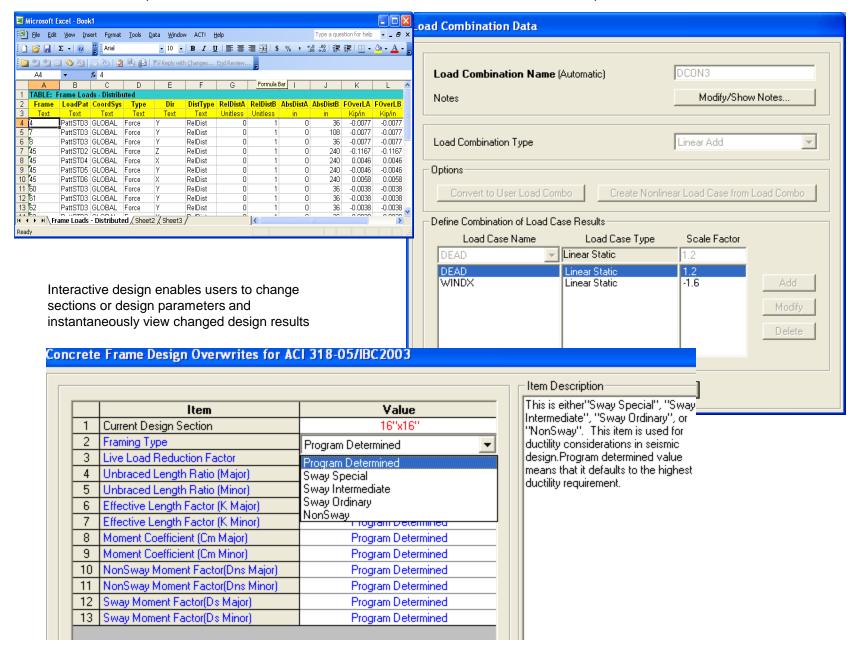


Assign or import joint loads, uniform distributed load, trapezoidal distributed load, multiple of gravity in any direction, and/or imposed displacement loading. Easily assign reduction factors to EI for cracking. Option to analyze with nonlinear P-Delta in lieu of manually determining K-factors as allowed by ACI and other design codes. Create more detailed 2D or 3D models if there are concerns about beam/column stiffness assumptions.



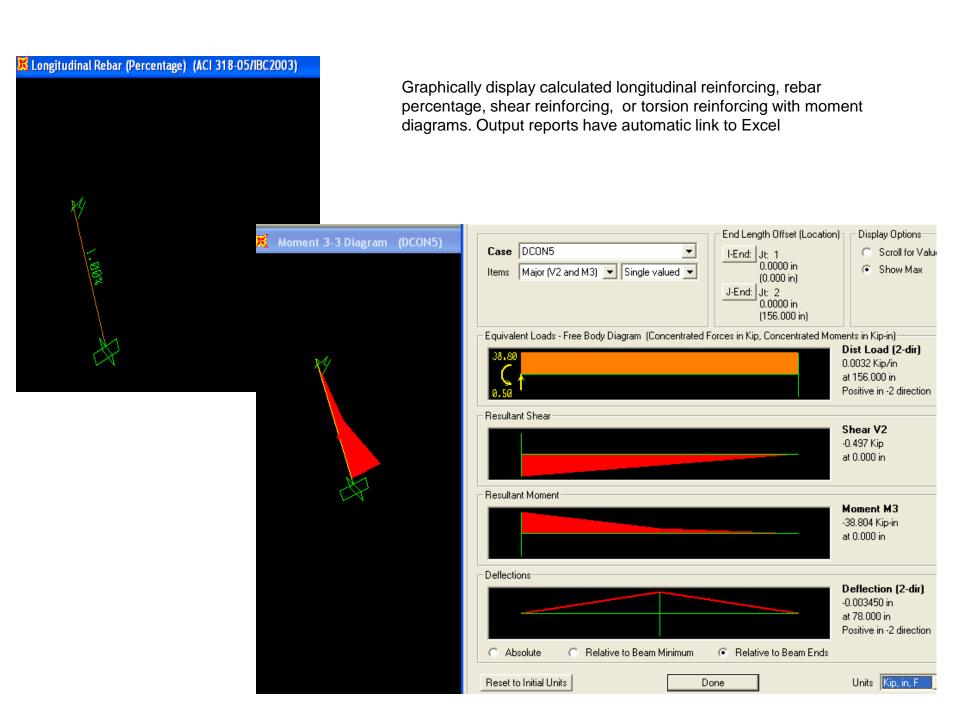
Loads can be assigned graphically, through spreadsheets within SAP2000, or imported from Excel

Factored load combinations automatically generated per design code, or users can define or import their own load combinations



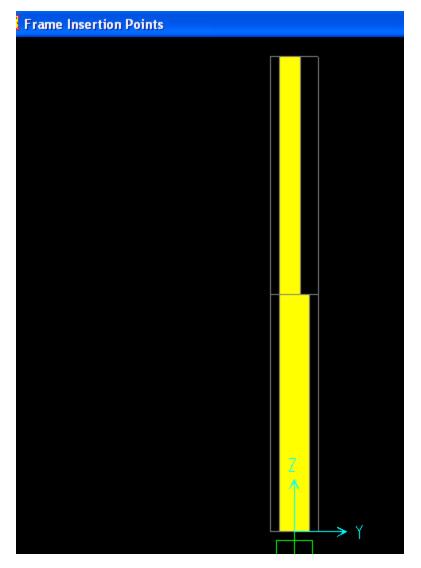
Design required reinforcement with shear design checks.

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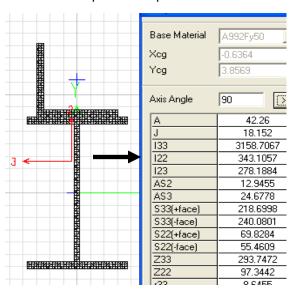


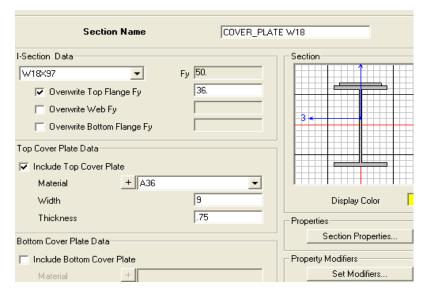
Utilize frame insertion points to automatically consider offset-from-centerline moments cranked into the lower column when a smaller column above is aligned to the same face as the larger column below. In addition to concrete design, the SD can be used to generate properties for built-up steel sections. Limited steel design is also available for built-up steel sections

Elevation view of 14"x14" column above 20"x20" aligned to the same face

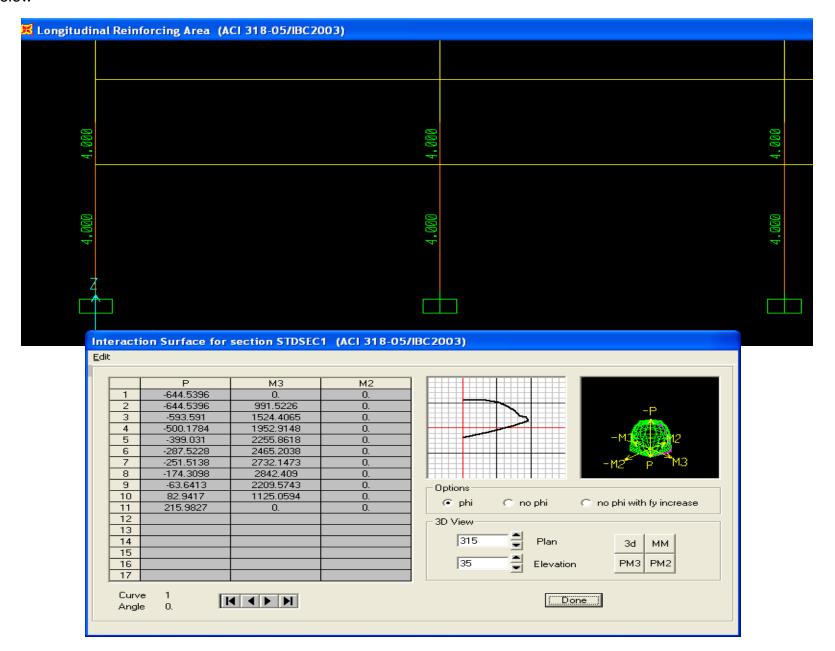


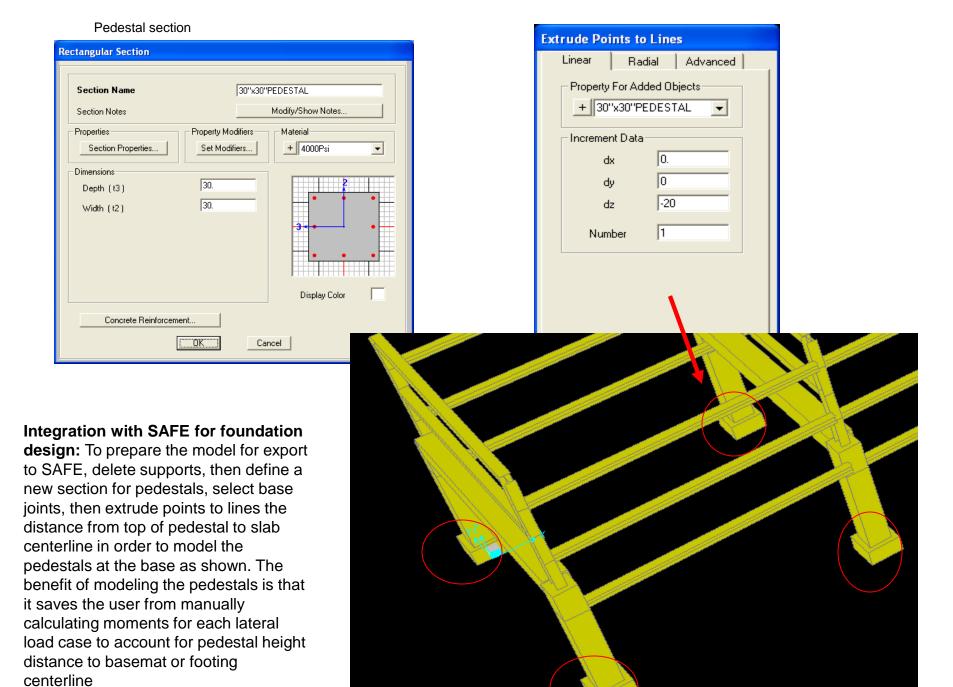
Built-up steel shapes



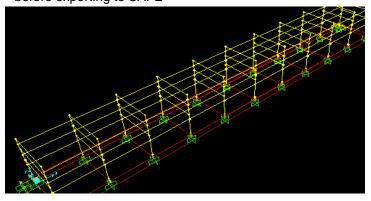


Multiple columns and beams designed in one shot with SAP2000. Right click columns to view P-M-M interaction surface as shown below

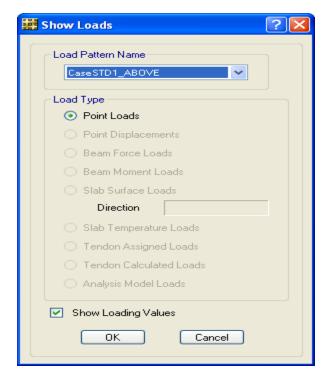




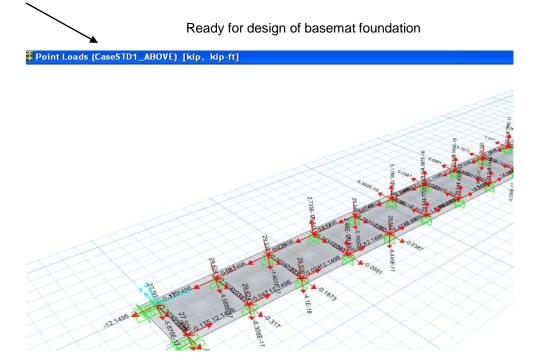
It's optional to model the basemat before exporting to SAFE



Graphically display imported loads from SAP2000 in SAFE







Following 6 slides from SAP2000 ACI 318 design manual

3.3.1 Generation of Biaxial Interaction Surfaces

The column capacity interaction volume is numerically described by a series of discrete points that are generated on the three-dimensional interaction failure surface. In addition to axial compression and biaxial bending, the formulation allows for axial tension and biaxial bending considerations. A typical interaction surface is shown in Figure 3-1.

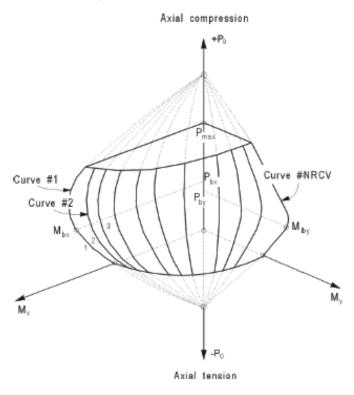


Figure 3-1 A typical column interaction surface

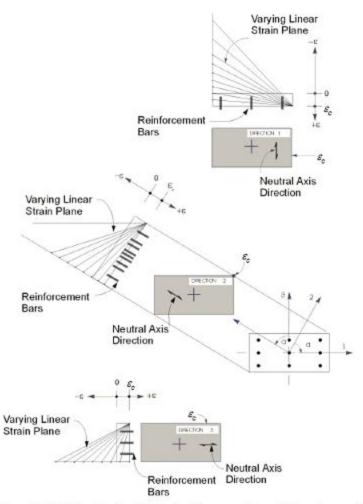


Figure 3-2 Idealized strain distribution for generation of interaction surface

The coordinates of these points are determined by rotating a plane of linear strain in three dimensions on the section of the column, as shown in Figure 3-2. The linear strain diagram limits the maximum concrete strain, ε_c , at the extremity of the section, to 0.003 (ACI 10.2.3).

The formulation is based consistently upon the general principles of ultimate strength design (ACI 10.3).

The stress in the steel is given by the product of the steel strain and the steel modulus of elasticity, $\varepsilon_j E_z$, and is limited to the yield stress of the steel, f_y (ACI 10.2.4). The area associated with each reinforcing bar is assumed to be placed at the actual location of the center of the bar, and the algorithm does not assume any further simplifications with respect to distributing the area of steel over the cross-section of the column, as shown in Figure 3-2.

The concrete compression stress block is assumed to be rectangular, with a stress value of $0.85f'_c$ (ACI 10.2.7.1), as shown in Figure 3-3. The interaction algorithm provides correction to account for the concrete area that is displaced by the reinforcement in the compression zone. The depth of the equivalent rectangular block, a, is taken as:

$$a = \beta_1 c$$
 (ACI 10.2.7.3)

where c is the depth of the stress block in compression strain and,

$$\beta_i = 0.85 - 0.05 \left(\frac{f_{\varepsilon}' - 4000}{1000} \right), \quad 0.65 \le \beta_i \le 0.85.$$
 (ACI 10.2.7.3)

The effect of the strength reduction factor, ϕ , is included in the generation of the interaction surface. The value of ϕ used in the interaction diagram varies from compression controlled ϕ to tension controlled ϕ based on the maximum tensile strain in the reinforcing at the extreme edge, $\varepsilon_{\rm c}$ (ACI 9.3.2.2).

Sections are considered compression controlled when the tensile strain in the extreme tension steel is equal to or less than the compression controlled strain limit at the time the concrete in compression reaches its assumed strain limit of $\varepsilon_{\rm c.max}$, which is 0.003. The compression controlled strain limit is the tensile strain in the reinforcement at balanced strain condition, which is taken as the

yield strain of the steel reinforcing,
$$\frac{f_y}{E}$$
 (ACI 10.3.3).

Sections are tension controlled when the tensile strain in the extreme tension steel is equal to or greater than 0.005, just as the concrete in compression reaches its assumed strain limit of 0.003 (ACI 10.3.4).

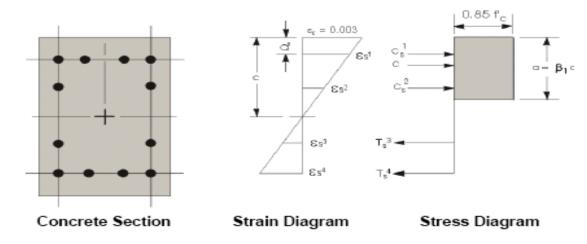


Figure 3-3 Idealization of stress and strain distribution in a column section

Sections with ε between the two limits are considered to be in a transition region between compression controlled and tension controlled sections (ACI 10.3.4).

When the section is tension controlled, a ϕ factor for tension-control is used. When the section is compression controlled, a ϕ factor for compression control is used. When the section is within the transition region, ϕ is linearly interpolated between the two values (ACI 9.3.2), as shown in the following:

$$\phi_{c} = \begin{cases} \phi_{c} & \text{if } \varepsilon_{t} \leq \varepsilon_{y} \\ \phi_{t} - (\phi_{t} - \phi_{c}) \left(\frac{0.005 - \varepsilon_{t}}{0.005 - \varepsilon_{y}} \right) & \text{if } \varepsilon_{y} < \varepsilon_{t} \leq 0.005, \\ \phi & \text{if } \varepsilon_{t} \geq 0.005, \text{where} \end{cases}$$
(ACI 9.3.2)

$$\phi_r = \phi$$
 for tension controlled sections,
which is 0.90 by default (ACI 9.3.2.1)

$$\phi_c = \phi$$
 for compression controlled sections

0.65 (by default) for column sections

3.4.1.2.1 Design for Rectangular Beam

Beam Section

In designing for a factored negative or positive moment, M_a (i.e., designing top or bottom steel), the depth of the compression block is given by a (see Figure 3-7), where,

$$a = d - \sqrt{d^2 - \frac{2|M_u|}{0.85 f_c' \phi b}},$$
 (ACI 10.2)

where, the value ϕ is taken as that for a tension controlled section, which is 0.90 by default (ACI 9.3.2.1) in the preceding and the following equations.

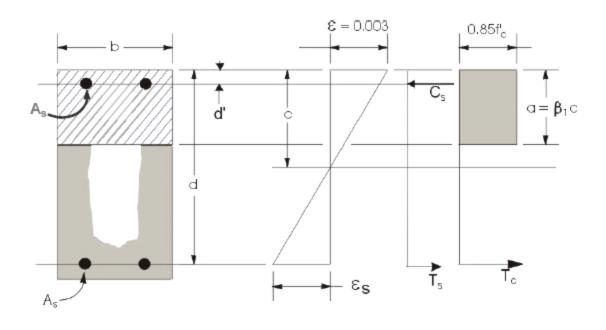


Figure 3-7 Rectangular beam design

Strain Diagram

Stress Diagram

The maximum depth of the compression zone, c_{max} , is calculated based on the limitation that the tensile steel tension shall not be less than $\varepsilon_{s,min}$, which is equal to 0.005 for tension controlled behavior (ACI 10.3.4):

$$c_{\max} = \frac{\varepsilon_{c\max}}{\varepsilon_{c,\max} + \varepsilon_{s,\min}} d \text{ where,}$$
 (ACI 10.2.2)

$$\varepsilon_{c,max} = 0.003$$
 (ACI 10.2.3)

$$\varepsilon_{cmin} = 0.005 \tag{ACI 10.3.4}$$

The maximum allowable depth of the rectangular compression block, a_{max} , is given by

$$a_{\text{max}} = \beta_1 c_{\text{max}} \tag{ACI 10.2.7.1}$$

where β_i is calculated as follows:

$$\beta_1 = 0.85 - 0.05 \left(\frac{f_c' - 4000}{1000} \right), \quad 0.65 \le \beta_1 \le 0.85$$
 (ACI 10.2.7.3)

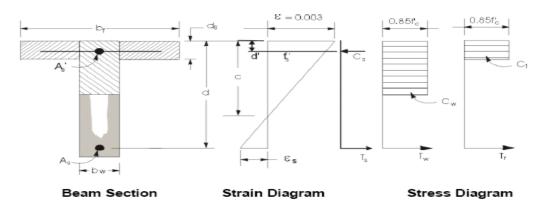


Figure 3-8 T beam design